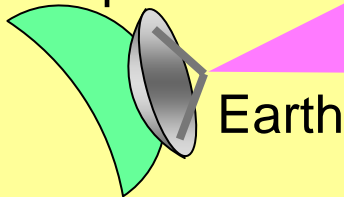


OPTICAL COMMUNICATIONS



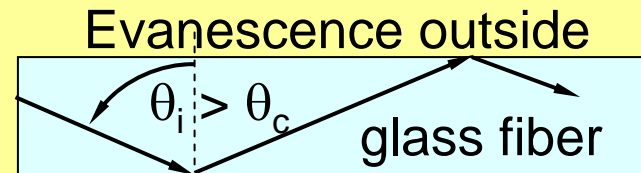
Free-Space Propagation:

- Similar to radiowaves (but more absorption by clouds, haze)
- Same expressions: antenna gain, effective area, power received
- Examples: TV controllers, inter-building and interplanetary links



Guided Wave Propagation:

- Optical fibers guide waves
- Rays inside fiber impact wall beyond critical angle
⇒ total reflection and wave trapping
- Little attenuation $0.5 < \lambda < 2$ microns (can go >100 km)

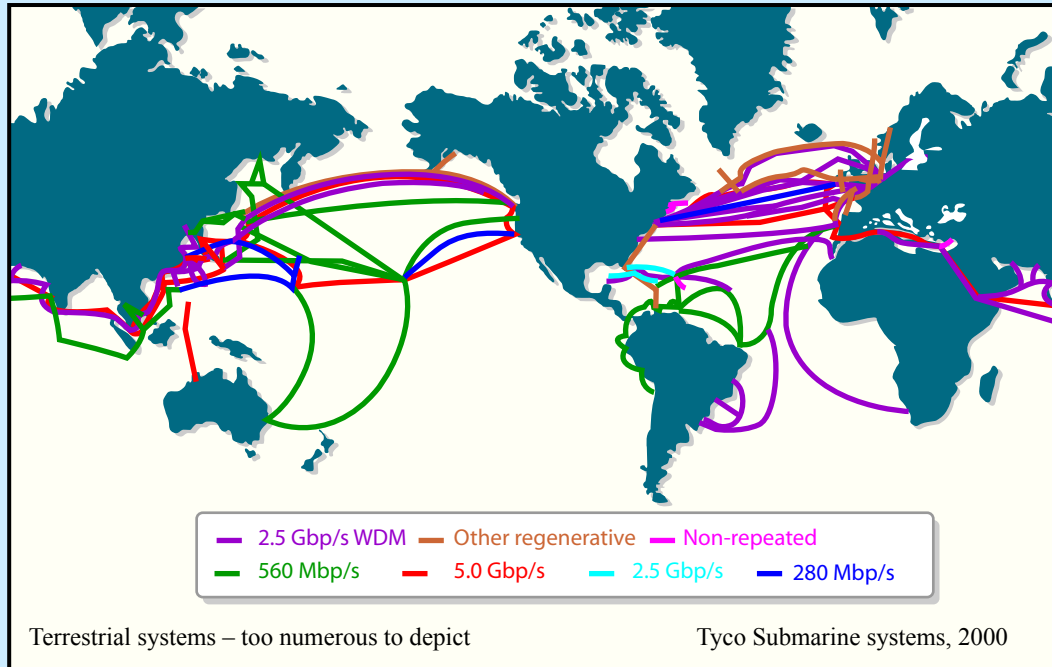


Devices:

- Detectors: phototubes, photodiodes, avalanche photodiodes
- Sources: LED's, laser diodes, fiber amplifiers, gas lasers
- Modulators: amplitude and frequency, mixers, switches
- Other: filters, spectral multiplexers and combiners

UNDERSEA OPTICAL FIBER CABLES

Fiber Communications Around the Globe



2008: undersea about $\times 1.5$, some are dark

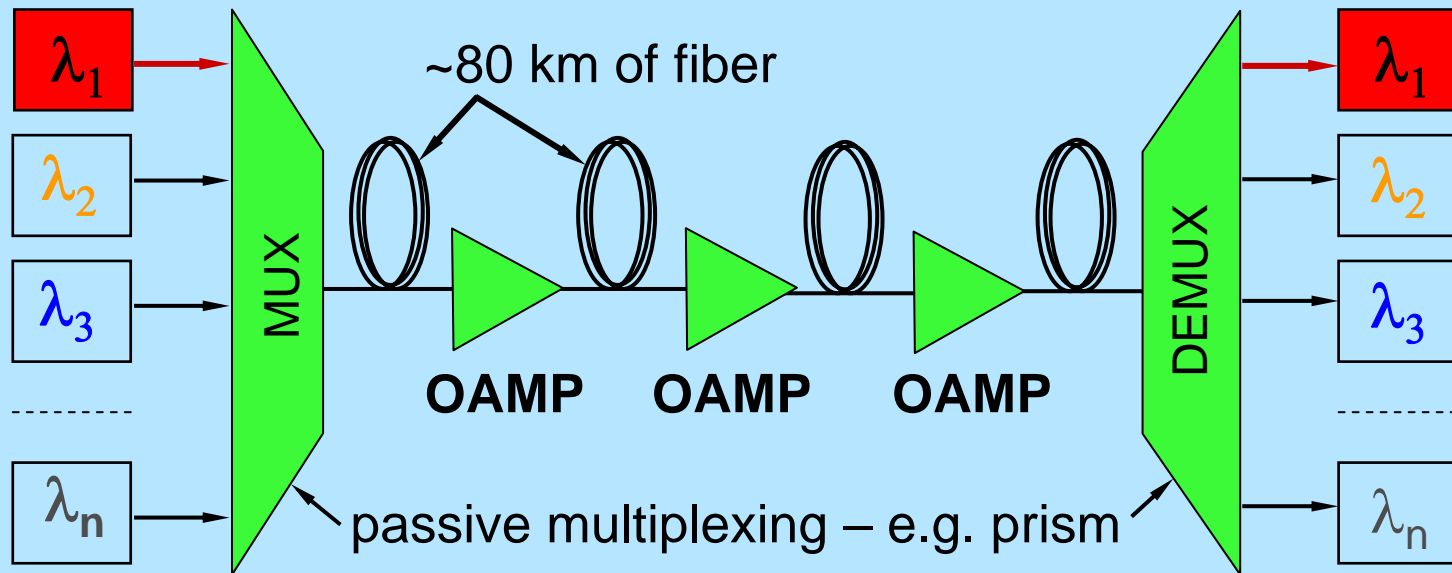
Figure by MIT OpenCourseWare.

- Fiber optics dominates long-distance telecommunications
- In-line Erbium-Doped Fiber Amplifiers (EDFA's) make extremely wideband transoceanic transmission possible without repeaters
- Without fiber communications there would be no World Wide Web

WDM MULTIPLEXED LINK

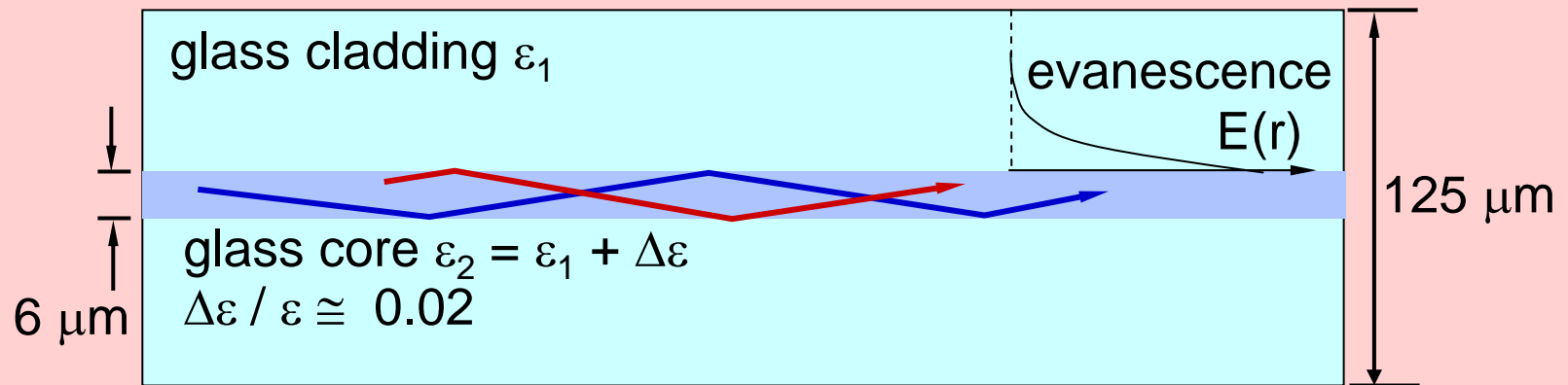
WAVELENGTH DIVISION MULTIPLEXING (WDM):

- Multiple wavelengths combined onto one fiber
- All wavelengths amplified simultaneously and independently in each Optical Amplifier (OAMP)



WAVES IN FIBERS

Optical Fiber – Simple Picture:



- Total internal reflection in the higher ε glass core traps light
- Small $\Delta\varepsilon \Rightarrow$ very shallow reflection angles.
- Only certain angles are allowed: waves must interfere constructively
 \Rightarrow modes (characterized by Bessel functions)
- Mode velocity = $f(\varepsilon$'s, core size, mode)

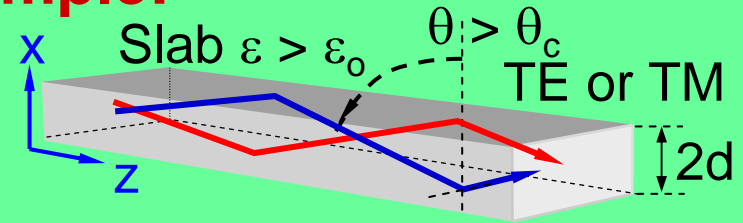
OPTICAL WAVEGUIDES

Dielectric slab waveguide example:

Waves reflect if $\theta_i > \theta_c$

Glass/air $\theta_c = \sin^{-1}(n_g^{-1})$
 $n_g \cong 1.5 \Rightarrow \theta_c \cong 41.8^\circ$

Cladding/core $\theta_c = \sim \sin^{-1}(0.98)$
 $\Rightarrow \theta_c \cong 78.5^\circ$

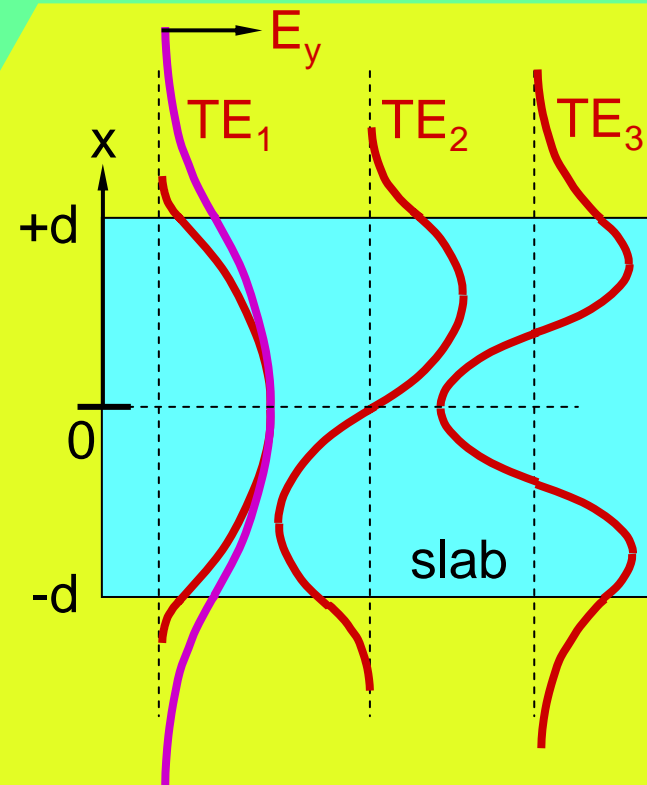


Slab waveguide fields:

$$\bar{E} = \hat{y}E_0 \begin{cases} \sin k_x x \\ \cos k_x x \end{cases} e^{-jk_z z} \quad |x| \leq d \quad \leftarrow \text{TE}_{\text{odd}}$$

$$\bar{E} = \hat{y}E_1 e^{-\alpha x - jk_z z} \quad \text{for } x > d,$$

$$\bar{E} = \pm \hat{y}E_1 e^{+\alpha x - jk_z z} \quad \text{for } x < -d$$



Boundary conditions for TE_n :

$\bar{E}_{//}$ and $\partial E_y / \partial x$ continuous

$$\nabla \times \bar{E} = \hat{z} \partial E_y / \partial x - \hat{x} \partial E_y / \partial z = -\partial \bar{H} / \partial t$$

ELECTROMAGNETIC FIELD DISTRIBUTION

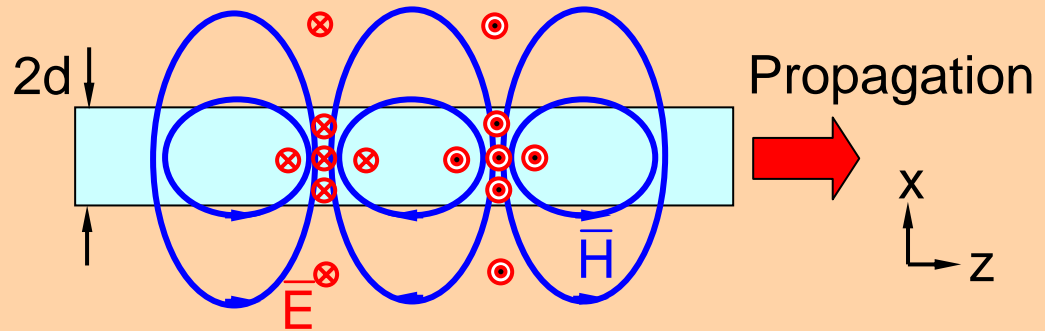
Magnetic Field:

$$\bar{H} = -(\nabla \times \bar{E})/j\omega\mu_0$$

Inside the slab, $|x| < d$:

$$\bar{H} = (E_0/\omega\mu_0) \left(-\hat{x}k_z \begin{Bmatrix} \sin k_x x \\ \cos k_x x \end{Bmatrix} - \hat{z}jk_x \begin{Bmatrix} -\cos k_x x \\ \sin k_x x \end{Bmatrix} \right) e^{-jk_z z}$$

Outside, $x > d$:
$$\bar{H} = (E_1/\omega\mu_0) (-\hat{x}k_z - \hat{z}j\alpha) e^{-\alpha x - jk_z z}$$



Matching Boundary Conditions at $x = d$:

Dispersion relations: $k_x^2 + k_z^2 = \omega^2\mu_0\varepsilon$ inside the slab, $|x| < d$
 $-\alpha^2 + k_z^2 = \omega^2\mu_0\varepsilon_0$ outside, $|x| > d$ [let $\mu = \mu_0$]

Continuity of \bar{E} : $E_0 \cos k_x d e^{-jk_z z} = E_1 e^{-\alpha d - jk_z z}$ for $TE_{1,3,5\dots}$

Continuity of \bar{H} : $(-jk_x E_0/\omega\mu_0) \sin k_x d e^{-jk_z z} = -(j\alpha E_1/\omega\mu_0) e^{-\alpha d - jk_z z}$

Therefore: $k_x \tan k_x d = \alpha$ (ratio of continuity equations)
 $k_x^2 + \alpha^2 = \omega^2\mu_0(\varepsilon - \varepsilon_0)$ (from dispersion equations)

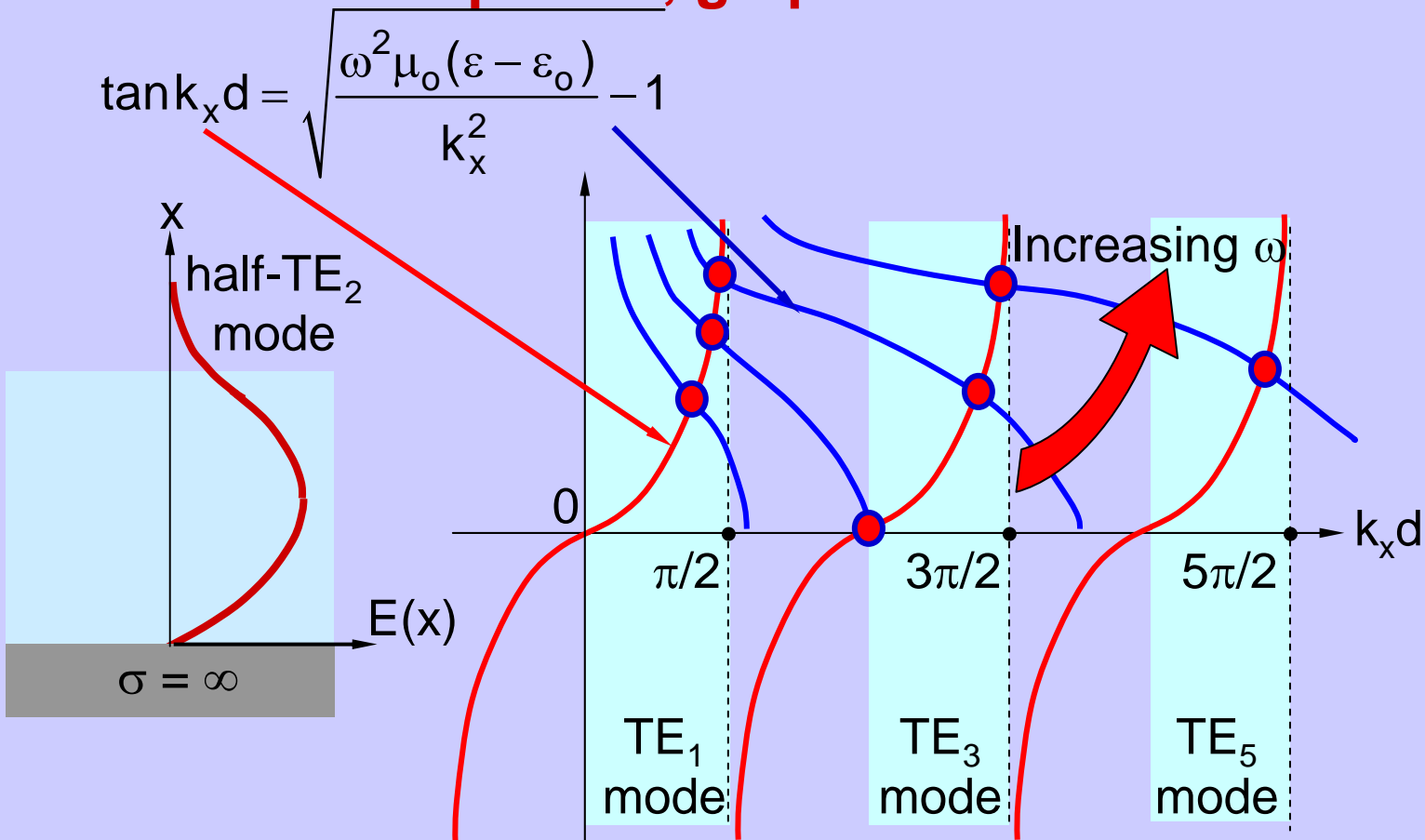
DIELECTRIC SLAB WAVEGUIDES $TE_{\text{odd } n}$

Field continuity equations:

$$k_x \tan k_x d = \alpha \quad (\text{ratio of continuity equations})$$

$$k_x^2 + \alpha^2 = \omega^2 \mu_0 (\epsilon - \epsilon_0) \quad (\text{from dispersion equations})$$

Transcendental equation, graphical solution:



FIBER WAVEGUIDE DESIGN

Loss mechanisms:

Rayleigh scattering from random density fluctuations

Loss $\propto f^4$ (scattering makes sky blue)

Infrared absorption dominates for $\lambda > \sim 1.6$ microns

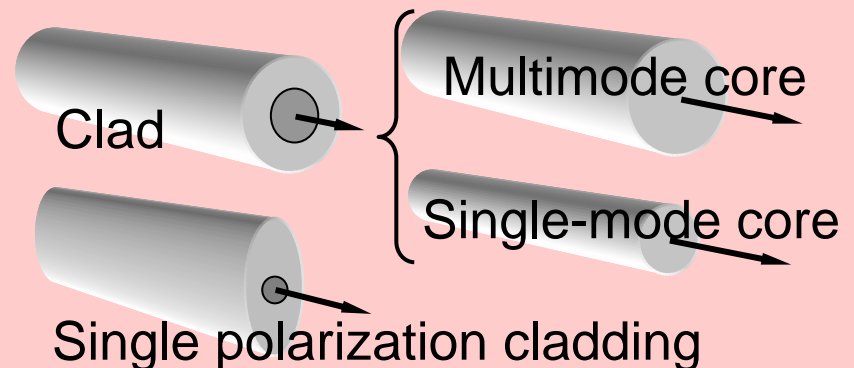
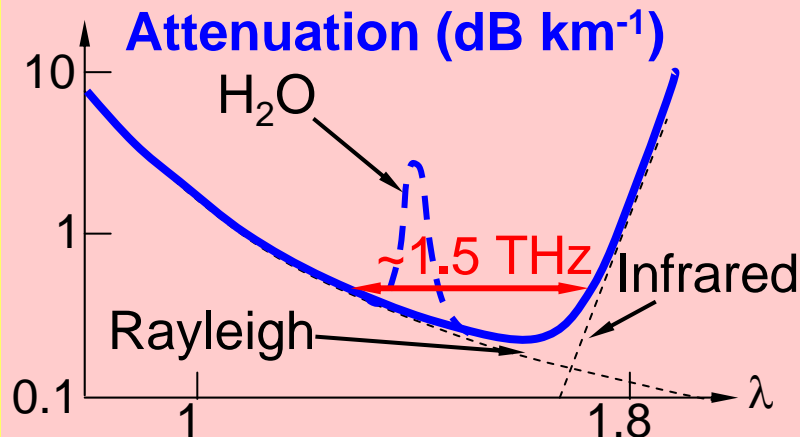
Minimum total attenuation $\cong 0.2$ dB km⁻¹

Fiber structure:

Typical: 10- μ m core in 125- μ m diameter glass, with 100- μ m-thick plastic protective cladding (bundled in cables)

Manufacturing: solid or hollow preform grown by vapor deposition of SiO₂ and GeO₂ (using e.g. Si(Ge)Cl₄ + O₂ = Si(Ge)O₂ + 2Cl₂)

Architecture: various – single or multimode, polarization-selective



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6.013 Electromagnetics and Applications
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